CUET UG - 2022 (CANDIDATE RESPONSE SHEET)

Paper/SubjectMATHEMATICS/APPLIED MATHEMATICSExam Date06 Aug 2022Exam Slot2

Question ID:481211 Section Name: COMPULSORY Question: If A is a matrix of order $m \times n$ and B is another matrix such that A'B and BA' are both defined, then the order of matrix B is

- A $m \times n$
- **B** $n \times m$
- $C m \times m$
- **D** $n \times n$

Answer Given By Candidate:B

Question ID:481212 Section Name:COMPULSORY Question: If $A = \begin{bmatrix} 2x & 0 \\ x & x \end{bmatrix}$ and $A^{-1} = \begin{bmatrix} 1 & 0 \\ -1 & 2 \end{bmatrix}$, then the value of x is A 2 B $-\frac{1}{2}$ C 1 D $\frac{1}{2}$

Answer Given By Candidate:C

Question ID:481213 Section Name:COMPULSORY Question: If the matrix $\begin{bmatrix} 0 & -1 & 3x \\ 1 & y & -5 \\ -6 & 5 & 0 \end{bmatrix}$ is skew-symmetric, then A x = -2, y = 0B x = 2, y = 0C x = -2, y = 1D x = 2, y = -1 Question ID:481214 Section Name:COMPULSORY Question: The function $f(x) = 6(2x^4 - x^2)$ is strictly increasing in

^A $(-\infty, -\frac{1}{2}) \cup (\frac{1}{2}, \infty)$ ^B $(-\frac{1}{2}, 0) \cup (\frac{1}{2}, \infty)$ ^C $(-\frac{1}{2}, \frac{1}{2})$ ^D $(-\infty, -\frac{1}{2}) \cup (0, \frac{1}{2})$

Answer Given By Candidate:A

Question ID:481215 Section Name:COMPULSORY Question:

If $\sqrt{y + x} + \sqrt{y - x} = a, a > 1$, $\frac{d^2 y}{dx^2}$ is equal to; A $-\frac{2}{a}$ B $-\frac{a^2}{2}$ C $\frac{2}{a^2}$ D $\frac{2}{a}$

Answer Given By Candidate:B

Question ID:481216 Section Name:COMPULSORY Question: The maximum slope of the tangents to the curve $y(x) = -x^3 + 3x^2 + 9x - 30$ is

- A 0
- **B** 12
- C 16
- D 18

Answer Given By Candidate:D

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Question ID:481217
Section Name:COMPULSORY
Question:
The value of \int_0^1 e^x (x+1) dx is equal to
A e+1
B 3e
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C e

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D = 3e - 2
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Answer Given By Candidate:A

Question ID:481218 Section Name:COMPULSORY Question: If $f'(x) = 4x^5 - 6x$ and f(0) = 3, then f(3) is equal to

- A 462
- B 219
- C 138
- D 957

Answer Given By Candidate:A

Question ID:481219 Section Name:COMPULSORY **Question:** The value of $\int_{-4}^{4} \log_e \left(\frac{1-x}{1+x}\right) dx$ is equal to A 2 1 В С 0 D $8 \log_e(2)$ Answer Given By Candidate:D **Ouestion ID:4812110** Section Name:COMPULSORY **Question:** If the order and the degree of the differential equation $\left(\frac{dy}{dx}\right)^{\frac{1}{2}} = \left(\frac{d^2y}{dx^2}\right)^{\frac{1}{5}}$ are O and S respectively, then S - O is equal to A 3

B 2 C 1 D 0 NTA

Answer Given By Candidate:C

Question ID:4812111 Section Name:COMPULSORY Question: If the system of linear equations

x + 2y - 3z = 1(2p + 1) y + z = 2 3x + 3z = 5

has a unique solution, then p can not be equal to

 $A \frac{3}{2}$ $B - \frac{3}{4}$ $C - \frac{4}{3}$ $D \frac{2}{3}$

Answer Given By Candidate:B

Question ID:4812112 Section Name:COMPULSORY Question: Match List I with List II

List I	List II
A. The number of arbitrary constants in the particular solution of differential equation of order 2	I. 1
 B. The number of arbitrary constants in the general solution of differential equation of order 2 C. The integrating factor of differential equation 	П. 0
$\frac{dy}{dx} + \frac{1}{x}y = 3, x > 0, is$	III. 2
D. For differential equation, $x^2 \frac{dy}{dx} + x = xy, x > 0, \lim_{x \to 0^+} y(x)$	TT 7 30 30
dx dx $x \to 0^+$ (x)	IV. x

Choose the correct answer from the options given below:

A A-III, B-II, C-IV, D-I

B A-II, B-I, C-IV, D-III

C A-II, B-III, C-I, D-IV

D A-II, B-III, C-IV, D-I

Answer Given By Candidate:D

Question ID:4812113

Section Name:COMPULSORY

Question:

If the mean and variance of a binomially distributed random variable X are 4 and 2 respectively, then P(X=2) is equal to

A	7 32	
B	1 32	
С	$\frac{7}{64}$	
D	1	

8

Answer Given By Candidate:B

Question ID:4812114

Section Name:COMPULSORY

Question:

Which is the <u>most</u> suitable definition for random variable among the options given below:

- A It is a relation between the events of a sample space and the numbers in [0,1].
- **B** It is a function defined from the sample space of a random experiment to the set of real numbers.
- C It is a table containing probability values
- D It is a function from the set of natural numbers to the numbers in [0,1]

Answer Given By Candidate:B

Question ID:4812115 Section Name:COMPULSORY Question: The optimal solution of the Linear Programming problem Maximize $Z = 3x_1 + 5x_2$,

s. t. $3x_1 + 2x_2 \le 18$

 $x_1 \le 4$ $x_2 \le 6$

 $x_1 \ge 0, x_2 \ge 0$ is

- A (4, 5)
- **B** (2, 6)
- C (4, 3)
- D(3,6)

Answer Given By Candidate:D

Question ID:4812151 Section Name:MATHEMATICS CORE Question: If a relation R is defined on the set $X = \{1,2,3,4\}$ as $R = \{(1,1),(2,2),(3,4),(4,3)\}$, then R is

- A reflexive and not transitive.
- B symmetric and not reflexive.
- C transitive and not symmetric
- D neither reflexive nor symmetric and nor transitive

Answer Given By Candidate: Not Attempted

Question ID:4812152 Section Name:MATHEMATICS CORE Question: Match List I with List II

List I	List II
A. Range of x	I. (−5, ∞)
B. Range of $9x^2 + 6x - 5$ for all $x \ge 0$	II. [0,∞)
C. Domain of $\frac{1}{\sqrt{x+5}}$	III. {(1,1), (2,2), (3,3)]
D. Smallest equivalence relation on Set {1,2,3}	IV. [−5, ∞)

Choose the correct answer from the options given below:

- A A-I, B-IV, C-II, D-III
- B A-II, B-I, C-IV, D-III
- C A-II, B-IV, C-I, D-III
- D A-I, B-III, C-IV, D-II

Answer Given By Candidate: Not Attempted

Question ID:4812153 Section Name:MATHEMATICS CORE

NTA

Question:

If A is a square matrix of order 3 and |adj A| = 49, then $|7A^{-1}|^2$

- A 7²
- **B** 7⁴
- C 1
- $D = \frac{1}{7^2}$

Answer Given By Candidate:Not Attempted

Question ID:4812154 Section Name:MATHEMATICS CORE Question: The set of all values of α for which the system of linear equations

x + y + z = 1

 $x + 2y + 4z = \alpha$

 $x + 4y + 10z = \alpha^2$

is consistent; is

- A {1,2}
- **B** {-1,2}
- C {-1,-2}
- D {1,-2}

Answer Given By Candidate: Not Attempted

Question ID:4812155

Section Name:MATHEMATICS CORE Question: [1 2 2]

If $3A = \begin{bmatrix} 1 & 2 & 2 \\ 2 & 1 & -2 \\ x & 2 & y \end{bmatrix}$ and $AA^T = I$, then x + y is equal to A 1

B -1

C 3

D -3

Answer Given By Candidate:C

Question ID:4812156 Section Name:MATHEMATICS CORE

Question: If $x = \int_0^y \frac{dt}{\sqrt{1+9t^2}}$ and $\frac{d^2y}{dx^2} = \lambda y$, then, λ is equal to A 3 B 6 C 9 D 12

Answer Given By Candidate: Not Attempted

Question ID:4812157

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Section Name:MATHEMATICS CORE Question:
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If $A = \begin{bmatrix} 0 & 2 & -3 \\ y & 0 & -1 \\ z & x & 0 \end{bmatrix}$ is skew symmetric matrix, then $x^3 + y^3 + z^3 - 3xyz$ is equal to : A -2 B -1 C 38

Answer Given By Candidate:C

Question ID:4812158

Section Name:MATHEMATICS CORE Question: The value of $cos^{-1} \left(sin \left(cos^{-1} \frac{1}{2} \right) \right) + tan^{-1}(1)$

A $\frac{\pi}{6}$ B $\frac{\pi}{3}$ C $\frac{\pi}{2}$ D $\frac{5\pi}{12}$

D 13

Answer Given By Candidate:C

Question ID:4812159 Section Name:MATHEMATICS CORE Question: The Principal value of $cos^{-1}\left(-\frac{1}{2}\right)$ is:

B	2π
	3
С	5π
	6
D	3π
	4

Answer Given By Candidate:B

Question ID:4812160 Section Name:MATHEMATICS CORE Question:

The value of k, for which the function $f(x) = \begin{cases} \frac{\sin kx}{x} + 3\cos x, & x \neq 0\\ 7, & x = 0 \end{cases}$ is continuous at x = 0, is

- A 3
- B 5
- C 1
- **D** 4

Answer Given By Candidate:C

Question ID:4812161 Section Name:MATHEMATICS CORE Question:

If f is a function defined by $f(x) = \begin{cases} 5x^2 - x + 3, \ x < 1\\ 3x + 4, \ x \ge 1 \end{cases}$, then, at x = 1, f is

- A continuous and differentiable
- B continuous but not differentiable

$$\lim_{x \to 1^-} f'(x) = 10$$

D
$$f''(1) = 10$$

Answer Given By Candidate:**B**

Question ID:4812162 Section Name:MATHEMATICS CORE

Question:

The line ax + by = 7 is a tangent to the curve $y = \frac{x-7}{(x-2)(x-3)}$ at the point where it

cuts the x-axis

- A. The y-intercept of the line is -0.7
- B. b = -7
- C. *a* = 1
- D. the line passes through the point (-13, -1)
- E. b = -20

Choose the correct answer from the options given below:

- A A, B, D Only
- B C, D, E Only
- C A, D, E Only
- D B, C, D Only

Answer Given By Candidate:Not Attempted

Question ID:4812163 Section Name:MATHEMATICS CORE Question: The slope of normal to the curve $y = 3x^2 + 3 \sin 3x$, at x = 0 is:

A 9

 $\begin{array}{c} \mathbf{B} \quad \frac{1}{9} \\ \mathbf{C} \quad \frac{1}{2} \end{array}$

D -9

Answer Given By Candidate:Not Attempted

Question ID:4812164

Section Name:MATHEMATICS CORE **Question:**

The curve passing through the point (-1, 1), given that the slope of the tangent to the curve at any point (x, y) is $\frac{2x}{y^2}$ also passes through the point $(k, -\frac{1}{2})$, then

- A $4k^2 5 = 0$
- **B** $8k^2 5 = 0$
- C $8k^2 17 = 0$

D
$$5k^2 - 8 = 0$$

Answer Given By Candidate: Not Attempted

Question ID:4812165

Section Name: MATHEMATICS CORE

NTA

Question:

If the solution curve of the differentiable equation $\frac{dy}{dx} + 2y = e^{3x}$, passes

through the point $(0, \frac{6}{5})$, then the value of $y(\log_e 2)_{is}$:

- A 37 20
 - 20
- $B \frac{1}{5}$
- C <u>11</u>
 - 5
- D 1

Answer Given By Candidate: Not Attempted

Question ID:4812166 Section Name:MATHEMATICS CORE Question: If two lines $\frac{x-3}{2} = \frac{y-4}{5} = \frac{z}{4}$ and $\frac{x-4}{3} = \frac{y-5}{6} = \frac{1-z}{k}$, are coplanar, then k is equal to A 5 B -5 C 9 D -3 Answer Given By Candidate:Not Attempted

Question ID:4812167 Section Name:MATHEMATICS CORE Question: The foot of perpendicular from the point P (1, 2, -3) to the line $\frac{x+1}{x} = \frac{y-3}{x} = \frac{z}{x}$ is

$$\frac{1}{2} = \frac{1}{-2} = \frac{1}{-1}$$

- A (1,1,1)
- **B** (1, -1, 1)
- C (1, 1, -1)
- **D** (-1, 1, 1)

Answer Given By Candidate: Not Attempted

Question ID:4812168 Section Name:MATHEMATICS CORE

NTA

Question:

The equation of plane passing through the point of (3, 2, 0) and containing the line

-	$\frac{x-2}{2} = \frac{y+3}{4} = \frac{z-1}{1}$ is
	$\frac{2}{4} - \frac{1}{1}$ is
A	3x - y - 2z = 7
B	3x - y + 2z = 7
С	x + y - 2z = 5
D	x - y + 2z = 1

Answer Given By Candidate:A

Question ID:4812169

Section Name:MATHEMATICS CORE Question: The sum of all the values of λ for which the distance of the point P (2, 3, λ) from the plane x + 2y - 2z = 9 is 3 units, is

A -9 B -1

- C 1
- D 9

Answer Given By Candidate: Not Attempted

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Question ID:4812170
Section Name:MATHEMATICS CORE
Question:
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The value of \hat{\iota}.(\hat{k} \times \hat{j}) + \hat{j}.(\hat{\iota} \times \hat{k}) + \hat{k}(\hat{j} \times \hat{\iota}) is
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A 0

B 3

C -1

D -3

Answer Given By Candidate:Not Attempted

Question ID:4812171 Section Name:MATHEMATICS CORE Question:

In a triangle, \triangle ABC, the sides AB and AC are represented by vectors $\hat{i} + \hat{j} + \hat{k}$

and $2\hat{i} - \hat{k}$ respectively. The length of median drawn from vertex A to BC is:

A $\sqrt{10}$

- B $\sqrt{6}$
- $C \sqrt{5}$

 $D \sqrt{\frac{5}{2}}$

Answer Given By Candidate:Not Attempted

Question ID:4812172 Section Name:MATHEMATICS CORE Question: Let $\overrightarrow{OA} = 2\hat{\imath} - \hat{\jmath} + \hat{k}$ and $\overrightarrow{OB} = \hat{\imath} + \hat{\jmath} - \hat{k}$. Then

- A. The magnitude of vector \overrightarrow{OA} is 6
- B. The magnitude of vector \overrightarrow{OB} is $\sqrt{3}$
- C. The vector \overrightarrow{AB} is $(-\hat{i} + 2\hat{j} 2\hat{k})$
- D. \overrightarrow{OA} . $\overrightarrow{OB} = 0$
- E. OA II OB

Choose the correct answer from the options given below:

- A A, B, C, D Only
- B A, B, E Only
- C C, D, E Only
- D B, C, D Only

Answer Given By Candidate: Not Attempted

Question ID:4812173

Section Name:MATHEMATICS CORE Question: The optimal value of linear programming problem maximum Z = 3x + 4y,

subject to,

- $x + 3y \le 12$
- $x + y \ge 8$
- $x, y \ge 0$ is
- A 26
- B 32
- C 36
- D 38

Answer Given By Candidate:A

Question ID:4812174 Section Name:MATHEMATICS CORE **Ouestion:**

There are three identical boxes I, II and III, each containing two balls. In box I, both balls are red, In box II, both balls are blue and box III contains one blue ball and one red ball. A boy randomly chooses a box and takes out a ball at random from it. If the ball is red, then the probability that the other ball in the box is also red colour is:

Α	$\frac{1}{2}$
B	2 3
С	0
D	1

Answer Given By Candidate:A

Question ID:4812175 Section Name:MATHEMATICS CORE Question: If A and B are two independent events such that P(A) = 0.4, and P(B) = 0.5, then P (neither A nor B) is

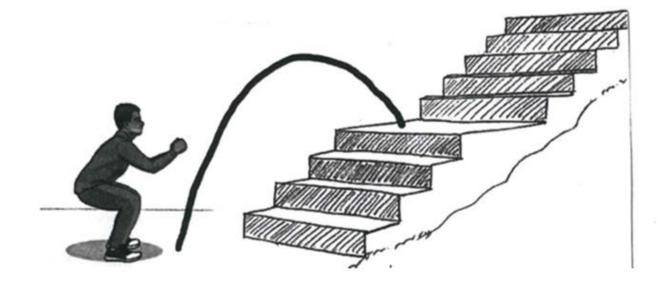
- A 0.24
- **B** 0.30
- C 0.25
- D 0.28

Answer Given By Candidate: Not Attempted

Passage:

NTA

A man plans to jump and climb the stairs. The path (as shown in the figure) he moves for the first jump is given by $y = y(x) = x + \sqrt{2x - 3x^2}$ where 'x' (in meters) is the horizontal distance moved and 'y' (in meters) is the corresponding height. Assuming that his initial point is at origin.



Based on the above information answer the Questions

Question ID:4812176 Section Name: MATHEMATICS CORE **Question:** The value of x for which $\frac{dy}{dx} = 0$, is 1 А 2 1 B 7 2 С 3 D 1 3

Answer Given By Candidate:Not Attempted

Question ID:4812177 Section Name:MATHEMATICS CORE

NTA

Question:

y(x) is strictly increasing in the interval

^A $(0, \frac{1}{6})$ ^B $(\frac{1}{6}, \frac{2}{3})$

$$C_{(0,\frac{1}{2})}$$

 $D(\frac{1}{2},\frac{2}{3})$

Answer Given By Candidate:Not Attempted

Question ID:4812178 Section Name:MATHEMATICS CORE Question:

The maximum height (in meters) achieved in the first jump is

A $\frac{2}{3}$ B 1 C $\frac{1}{2}$ D $\frac{1}{6}$

Answer Given By Candidate: Not Attempted

Question ID:4812179 Section Name:MATHEMATICS CORE Question: Evaluate $\int_0^{\frac{1}{3}} y dx$

- $\frac{A}{18} + \frac{2\sqrt{3}\pi}{27}$
- ^B $\frac{1}{18} + \sqrt{3}\frac{\pi}{36}$
- $\frac{1}{18} + \frac{\sqrt{6}\pi}{9}$

$$\frac{1}{18} + \frac{\pi}{36}$$

Answer Given By Candidate: Not Attempted

Question ID:4812180 Section Name:MATHEMATICS CORE

Question:

The value of $\frac{dy}{dx}$ when $x = \frac{1}{6}$, is A 2 B 0 C 3 D 1

Answer Given By Candidate:Not Attempted

Passage:

A student was doing a project work, involving a school survey, to find the number of hours spent on study by students. on a randomly selected school day. At the end of the survey he prepared the following report related to the data.

Let x denote the number of hours spent on study by students on a randomly selected school day

then,

$$P(x = x) = \begin{cases} 0.2 & , if x = 0 \\ kx & , if x = 1 \text{ or } x = 2 \\ k(6 - x) & , if x = 3 \text{ or } x = 4 \\ 0, & \text{ otherwise} \end{cases}$$

where k is unknown constant

Based on the above information answer the Questions

Question ID:4812181 Section Name:MATHEMATICS CORE Question: The value of k is

A 0.1

B 0.2

C 0.25

D 0.125

Answer Given By Candidate:A

Question ID:4812182 Section Name:MATHEMATICS CORE Question: The probability that the study time of students is not more than one hour.

- A 0.4
- B 0.3

C 0.2

D 0.1

Answer Given By Candidate:C

Question ID:4812183 Section Name:MATHEMATICS CORE Question:

The probability that the study time of students is at least 3 hours

- A 0.5
- B 0.2
- C 0.8
- **D** 0.7

Answer Given By Candidate:D

Question ID:4812184 Section Name:MATHEMATICS CORE Question:

The probability that the study time of students is exactly 2 hours

- A 0.4
- B 0.5
- C 0.7
- **D** 0.2

Answer Given By Candidate:**D**

Question ID:4812185 Section Name:MATHEMATICS CORE Question: The probability that the study time of students is at least 1 hour

- A 0.2
- B 0.7
- C 0.8
- D 0.6

Answer Given By Candidate:C